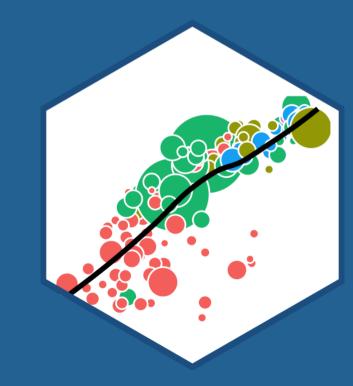
Final Review Questions ECON 480 • Econometrics • Fall 2020 Ryan Safner Assistant Professor of Economics ✓ safner@hood.edu ♥ ryansafner/metricsF20 ♥ metricsF20.classes.ryansafner.com

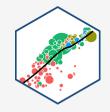


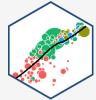
Major Models and Extensions

- Causality
 - $\circ~\mbox{Fundamental problem of causal inference}$
 - $\circ~$ DAGs, controlling
- Multivariate OLS
 - Omitted Variable Bias
 - Variance/Multicollinearity
- Categorical data
 - $\circ~$ Using categorical variables as dummies
 - \circ dummy variable trap
 - \circ interaction effects

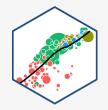
Major Models and Extensions

- Nonlinear Models
 - quadratic model, polynomial models, logarithmic models
- Panel Data
 - $\circ \,$ pooled model
 - $\circ~\mbox{fixed effects}$
 - difference-in-difference models





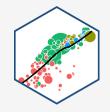
What are the two conditions for a variable Z to cause omitted variable bias if it is left out of the regression?



 $\widehat{Wages}_i = \beta_0 + \beta_1 Education_i + \beta_2 Age_i + \beta_3 Experience_i + \epsilon_i$

Suppose $Education_i$ and Age_i are highly correlated

- Does this bias $\hat{\beta}_1$ and $\hat{\beta}_2$?
- What will happen to the variance of $\hat{\beta}_2$ and $\hat{\beta}_2$? How can we measure this?



$$\widehat{Cholesterol_i} = \beta_0 + \beta_1 Treated_i + u_i$$

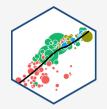
- *Treated*_i is a dummy variable $\begin{cases} = 1 & \text{if person received treatment} \\ = 0 & \text{if person did not receive treatment} \end{cases}$
- What is $\hat{\beta}_0$?
- What is $\hat{\beta}_1$?
- What is the average cholesterol level for someone who recieved treatment?



$\widehat{Y}_{i} = \beta_{0} + \beta_{1} \operatorname{Red}_{i} + \beta_{2} \operatorname{Orange}_{i} + \beta_{3} \operatorname{Yellow}_{i} + \beta_{4} \operatorname{Green}_{i} + \beta_{5} \operatorname{Blue}_{i}$

Suppose observation i can be either {Red, Orange, Yellow, Green, Blue, Purple }

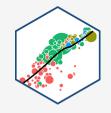
- What is $\hat{\beta}_0$?
- What is $\hat{\beta}_1$?
- What is the average value of Y_i for *Green* shapes?
- Why can't we add $\beta_6 Purple_i$?



 $Utility_i = \beta_0 + \beta_1 Eggs_i + \beta_2 Breakfast_i + \beta_3 (Eggs_i \times Breakfast_i)$

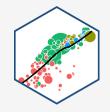
Breakfast_i is a dummy variable $\begin{cases} = 1 & \text{if meal i is breakfast} \\ = 0 & \text{if meal i is not breakfast} \end{cases}$

- What is $\hat{\beta}_1$?
- What is $\hat{\beta}_2$?
- What is $\hat{\beta}_3$?
- We have two regressions (one for Breakfast; one for Not Breakfast)
 - how can we determine if the intercepts are different?
 - how can we determine if the slopes are different?



$\widehat{Utility} = 2 + 4$ Ice Cream Cones_i – 1 Ice Cream Cones_i²

- What is the marginal effect of eating 1 more Ice Cream Cone?
- What if we *start* with 1 Ice Cream Cone?
- What if we *start* with 4 Ice Cream Cones?
- What amount of ice cream cones will *maximize* utility?
- How would we know if we should add Ice Cream Cones $_i^3$?



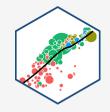
 $ln(GDP_i) = 10 + 2$ population (in billions)_i

• Interpret $\hat{\beta}_1$ in context.

 $ln(GDP_i) = 10 + 0.1 ln(population_i)$

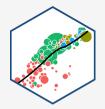
• Interpret $\hat{\beta}_1$ in context.

- Explain what an *F*-test is used for
- Explain *how* an *F*-statistic is generated



Divorce Rate_{*it*} = $\beta_0 + \beta_1$ Divorce Law_{*it*} + $\alpha_i + \theta_t + \epsilon_{it}$

- Why do we need α_i and θ_t ?
- What sorts of things are in α_i ?
- What sorts of things are in θ_t ?



- $\widehat{\text{Crime Rate}_{it}} = \beta_0 + \beta_1 \text{ Maryland}_i + \beta_2 \text{ After}_t + \beta_3 (\text{Maryland}_i \times \text{After}_t)$
- Suppose Maryland passes a law (and other States do not) that affects crime rates
- What must we assume about Maryland over time?
- What is the average crime rate for other states before the law?
- What is the average crime rate for Maryland after the law?
- What is the *causal effect* of passing the law?